

## \*STATA.OUTPUT -- Chapter 14

```
. clear  
.*first example of a kappa statistic
```

```
. input r1 r2 freq  
      r1 r2 freq  
1.   1 1 12  
2.   2 1  4  
3.   1 2  8  
4.   2 2 16  
5. end
```

```
. table r1 r2 [weight = freq]
```

```
-----  
      |      r2  
      |      1      2  
-----+-----  
1     |     12     8  
2     |      4    16  
-----
```

```
. kap r1 r2 [fw=freq]
```

Agreement	Expected Agreement	Kappa	Std. Err.	Z	Prob>Z
70.00%	50.00%	0.4000	0.1549	2.58	0.0049

```
. clear  
.*second example of a kappa statistic
```

```
. input r1 r2 freq  
      r1 r2 freq  
1.   1 1  3  
2.   2 1  7  
3.   3 1  4  
4.   1 2  2  
5.   2 2 14  
6.   3 2 19  
7.   2 3  1  
8.   3 3 42  
9.   4 3  1  
10.  3 4  2  
11.  4 4  3  
12. end
```

```
. table r1 r2 [weight = freq]
```

r1	r2			
	1	2	3	4
1	3	2		
2	7	14	1	
3	4	19	42	2
4			1	3

```
. kap r1 r2 [fw=freq]
```

Agreement	Expected Agreement	Kappa	Std. Err.	Z	Prob>Z
63.27%	39.65%	0.3913	0.0665	5.88	0.0000

```
. clear  
.*analysis of disagreement (quasi-independence)
```

```
. input rr cc y  
   rr cc y  
1.  2 1  7  
2.  3 1  4  
3.  4 1  0  
4.  1 2  2  
5.  3 2 19  
6.  4 2  0  
7.  1 3  0  
8.  2 3  1  
9.  4 3  1  
10. 1 4  0  
11. 2 4  0  
12. 3 4  2  
13. end
```

```
. table rr cc [weight = y]
```

rr	1	2	3	4
1		2		
2	7		1	
3	4	19		2
4			1	

```
. xi: poisson y i.rr i.cc
```

```
Poisson regression  
Log likelihood = -15.503339  
Number of obs   =      12  
LR chi2(6)      =     66.75  
Prob > chi2     =     0.0000  
Pseudo R2      =     0.6828
```

y	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
_Irr_2	2.333326	.8817587	2.65	0.008	.6051104 4.061541
_Irr_3	2.367174	.7410715	3.19	0.001	.9147006 3.819648
_Irr_4	-.8850948	1.227905	-0.72	0.471	-3.291744 1.521554
_Icc_2	1.218106	.4555251	2.67	0.007	.325293 2.110918
_Icc_3	-1.103439	.802829	-1.37	0.169	-2.676955 .4700767
_Icc_4	-1.731833	.7696725	-2.25	0.024	-3.240364 -.2233028
_cons	-.6651246	.8225334	-0.81	0.419	-2.27726 .9470113

```
. predict Y
```

```
. gen s = sign(y-Y)
```

```
. list y Y s
```

	y	Y	s
1.	7	5.302621	1
2.	4	5.485178	-1
3.	0	.2122014	-1
4.	2	1.738428	1
5.	19	18.54417	1
6.	0	.7174057	-1
7.	0	.1705778	-1
8.	1	1.759029	-1
9.	1	.0703932	1
10.	0	.0909944	-1
11.	0	.9383502	-1
12.	2	.9706554	1

```
. egen x2 = sum((y-Y)^2/Y)
```

```
. list x2 in 1
```

x2
16.82097

```
. display "pvalue = " 1-chi2(5,x2)  
pvalue = .00485214
```

```
. clear
.*construction of a ROC curve

. infile x class using roc.example.data

. roctab class x, summary table detail
```

class	3.294	3.568	x 3.586	3.725	3.728	Total
0	1	1	1	1	1	15
1	0	0	0	0	0	15
Total	1	1	1	1	1	30
class	3.8	3.808	x 3.885	3.889	3.916	Total
0	1	1	1	1	1	15
1	0	0	0	0	0	15
Total	1	1	1	1	1	30
class	3.924	3.943	x 4.003	4.011	4.067	Total
0	0	1	0	1	0	15
1	1	0	1	0	1	15
Total	1	1	1	1	1	30
class	4.071	4.2	x 4.204	4.212	4.246	Total
0	0	1	0	0	0	15
1	1	0	1	1	1	15
Total	1	1	1	1	1	30
class	4.306	4.349	x 4.354	4.362	4.375	Total
0	1	0	0	1	0	15
1	0	1	1	0	1	15
Total	1	1	1	1	1	30
class	4.38	4.384	x 4.411	4.415	4.527	Total
0	0	0	0	0	0	15
1	1	1	1	1	1	15
Total	1	1	1	1	1	30

Detailed report of Sensitivity and Specificity

Cutpoint	Sensitivity	Specificity	Correctly Classified	LR+	LR-
( >= 3.294 )	100.00%	0.00%	50.00%	1.0000	
( >= 3.568 )	100.00%	6.67%	53.33%	1.0714	0.0000
( >= 3.586 )	100.00%	13.33%	56.67%	1.1538	0.0000
( >= 3.725 )	100.00%	20.00%	60.00%	1.2500	0.0000
( >= 3.728 )	100.00%	26.67%	63.33%	1.3636	0.0000
( >= 3.8 )	100.00%	33.33%	66.67%	1.5000	0.0000
( >= 3.808 )	100.00%	40.00%	70.00%	1.6667	0.0000
( >= 3.885 )	100.00%	46.67%	73.33%	1.8750	0.0000
( >= 3.889 )	100.00%	53.33%	76.67%	2.1429	0.0000
( >= 3.916 )	100.00%	60.00%	80.00%	2.5000	0.0000
( >= 3.924 )	100.00%	66.67%	83.33%	3.0000	0.0000
( >= 3.943 )	93.33%	66.67%	80.00%	2.8000	0.1000
( >= 4.003 )	93.33%	73.33%	83.33%	3.5000	0.0909
( >= 4.011 )	86.67%	73.33%	80.00%	3.2500	0.1818
( >= 4.067 )	86.67%	80.00%	83.33%	4.3333	0.1667
( >= 4.071 )	80.00%	80.00%	80.00%	4.0000	0.2500
( >= 4.2 )	73.33%	80.00%	76.67%	3.6667	0.3333
( >= 4.204 )	73.33%	86.67%	80.00%	5.5000	0.3077
( >= 4.212 )	66.67%	86.67%	76.67%	5.0000	0.3846
( >= 4.246 )	60.00%	86.67%	73.33%	4.5000	0.4615
( >= 4.306 )	53.33%	86.67%	70.00%	4.0000	0.5385
( >= 4.349 )	53.33%	93.33%	73.33%	8.0000	0.5000
( >= 4.354 )	46.67%	93.33%	70.00%	7.0000	0.5714
( >= 4.362 )	40.00%	93.33%	66.67%	6.0000	0.6429
( >= 4.375 )	40.00%	100.00%	70.00%		0.6000
( >= 4.38 )	33.33%	100.00%	66.67%		0.6667
( >= 4.384 )	26.67%	100.00%	63.33%		0.7333
( >= 4.411 )	20.00%	100.00%	60.00%		0.8000
( >= 4.415 )	13.33%	100.00%	56.67%		0.8667
( >= 4.527 )	6.67%	100.00%	53.33%		0.9333
( > 4.527 )	0.00%	100.00%	50.00%		1.0000

Obs	ROC Area	Std. Err.	-Asymptotic Normal-- [95% Conf. Interval]	
30	0.8978	0.0570	0.78608	1.00000

```
. clear  
.* confidence interval for auc
```

```
. input x1 x2  
      x1      x2  
1.   3.924  3.294  
2.   4.003  3.568  
3.   4.067  3.586  
4.   4.071  3.725  
5.   4.204  3.728  
6.   4.212  3.800  
7.   4.246  3.808  
8.   4.349  3.885  
9.   4.354  3.889  
10.  4.375  3.916  
11.  4.380  3.943  
12.  4.384  4.011  
13.  4.411  4.200  
14.  4.415  4.306  
15.  4.527  4.362  
16. end
```

```
. correlate x1 x2, cov
```

```
(obs=15)
```

```
-----+-----  
      |      x1      x2  
x1 | .031099  
x2 | .046358  .080178
```

```
. egen xbar1 = mean(x1)  
. egen xbar2 = mean(x2)  
. gen var1 = _result(3)  
. gen var2 = _result(5)  
. gen V = (var1+var2)/2  
. gen R = (xbar1-xbar2)/sqrt(2*V)  
. gen v = (1+R^2/4)/15  
  
. display "lower =", normal(R-1.960*sqrt(v))  
lower = .72301495  
  
. display "upper =", normal(R+1.960*sqrt(v))  
upper = .96137072
```

```
. clear
.*small example (n = 7)
```

```
. input x class
      x  class
1.   24  0
2.   47  0
3.   62  0
4.   12  1
5.   34  1
6.   53  1
7.   68  1
8. end
```

```
. roctab class x, summary table detail
```

class	x					Total
	12	24	34	47	53	
0	0	1	0	1	0	3
1	1	0	1	0	1	4
Total	1	1	1	1	1	7

  

class	x		Total
	62	68	
0	1	0	3
1	0	1	4
Total	1	1	7

Detailed report of Sensitivity and Specificity

Cutpoint	Sensitivity	Specificity	Correctly Classified	LR+	LR-
( >= 12 )	100.00%	0.00%	57.14%	1.0000	
( >= 24 )	75.00%	0.00%	42.86%	0.7500	
( >= 34 )	75.00%	33.33%	57.14%	1.1250	0.7500
( >= 47 )	50.00%	33.33%	42.86%	0.7500	1.5000
( >= 53 )	50.00%	66.67%	57.14%	1.5000	0.7500
( >= 62 )	25.00%	66.67%	42.86%	0.7500	1.1250
( >= 68 )	25.00%	100.00%	57.14%		0.7500
( > 68 )	0.00%	100.00%	42.86%		1.0000

Obs	ROC Area	Std. Err.	-Asymptotic Normal-- [95% Conf. Interval]	
7	0.5417	0.2619	0.02841	1.00000



```
. clear  
.*Hemoglobin a1c data (long term versus short term)
```

```
. input x1 x2  
      x1  x2  
1.   5.8  5.8  
2.   5.7  4.9  
3.   6.5  6.0  
4.   6.0  5.4  
5.   7.6  7.5  
6.   5.9  5.7  
7.   5.8  5.1  
8.   9.7  9.6  
9.   5.6  5.4  
10.  5.6  4.8  
11.  6.6  6.6  
12.  6.5  5.7  
13.  6.4  5.4  
14.  6.7  6.5  
15.  6.0  6.0  
16. 12.9 12.3  
17. 11.2 10.9  
18.  6.6  6.8  
19.  6.8  5.8  
20.  6.5  5.7  
21.  6.1  5.9  
22.  6.0  5.7  
23.  5.6  5.4  
24.  5.7  5.6  
25.  5.6  5.5  
26.  6.2  6.2  
27.  7.2  7.1  
28.  7.1  7.0  
29.  7.2  7.1  
30.  5.9  5.9  
31. end
```

```
. * slope estimated by perpendicular least squares -- ordinary least squares estimation
```

```
. regress x1 x2
```

Source	SS	df	MS	Number of obs =	30
Model	77.8130485	1	77.8130485	F( 1, 28) =	665.55
Residual	3.27361115	28	.116914684	Prob > F =	0.0000
				R-squared =	0.9596
				Adj R-squared =	0.9582
Total	81.0866596	29	2.79609171	Root MSE =	.34193

  

x1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x2	.9653826	.0374203	25.80	0.000	.8887305 1.042035
_cons	.546385	.2490623	2.19	0.037	.036204 1.056566

```
. correlate x1 x2, cov
-----+-----
          |          x1          x2
-----+-----
      x1 |      2.79609
      x2 |      2.77943      2.87909

. gen varx = _result(4)
. gen var1 = _result(3)
. gen var2 = _result(5)
. gen B = ((var1-var2)+sqrt((var1-var2)^2+4*varx^2))/(2*varx)

. list B var1 var2 varx in 1
```

B	var1	var2	varx
.9851803	2.796092	2.879092	2.779425

```
. *alternative estimate of the least square slope
. gen b = varx/(varx+(var2-varx))

. list b in 1
```

b
.9653825

```
. *bootstrap estimate of the variance of the slope estimate (perpendicular)
. * slope estimated by perpendicular least squares plus the between and with error variances

. program define slope, rclass
1. correlate x1 x2, cov
2. gen vx = _result(4)
3. gen v1 = _result(3)
4. gen v2 = _result(5)
5. gen B = ((v1-v2)+sqrt((v1-v2)^2+4*vx^2))/(2*vx)
6. summarize B, meanonly
7. return scalar B = (mean)
8. drop vx v1 v2 B
9. end

. bootstrap B=r(B), reps(1000): slope
```

Bootstrap results

Number of obs = 30  
Replications = 1000

	Observed Coef.	Bootstrap Std. Err.	z	P> z	Normal-based [95% Conf. Interval]
B	.9851803	.0537582	18.33	0.000	.8798161 1.090544

```
. clear
.*Bland/Altman analysis
```

```
. input x1 x2
      x1  x2
  1.  5.8  5.8
  2.  5.7  4.9
  3.  6.5  6.0
  4.  6.0  5.4
  5.  7.6  7.5
  6.  5.9  5.7
  7.  5.8  5.1
  8.  9.7  9.6
  9.  5.6  5.4
 10.  5.6  4.8
 11.  6.6  6.6
 12.  6.5  5.7
 13.  6.4  5.4
 14.  6.7  6.5
 15.  6.0  6.0
 16. 12.9 12.3
 17. 11.2 10.9
 18.  6.6  6.8
 19.  6.8  5.8
 20.  6.5  5.7
 21.  6.1  5.9
 22.  6.0  5.7
 23.  5.6  5.4
 24.  5.7  5.6
 25.  5.6  5.5
 26.  6.2  6.2
 27.  7.2  7.1
 28.  7.1  7.0
 29.  7.2  7.1
 30.  5.9  5.9
 31. end
```

```
. gen X = (x1+x2)/2
. gen Y = x1-x2
. regress Y X
```

Source	SS	df	MS	Number of obs = 30		
Model	.017783653	1	.017783653	F( 1, 28) =	0.15	
Residual	3.35588359	28	.119852985	Prob > F =	0.7030	
Total	3.37366724	29	.116333353	R-squared =	0.0053	
				Adj R-squared =	-0.0303	
				Root MSE =	.3462	

  

Y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
X	-.0147766	.0383608	-0.39	0.703	-.0933551	.0638019
_cons	.4209325	.2611379	1.61	0.118	-.1139842	.9558492

```
. correlate x1 x2,cov  
(obs=30)
```

	x1	x2
x1	2.79609	
x2	2.77943	2.87909

```
. gen vx = _result(4)  
. gen v1 = _result(3)  
. gen v2 = _result(5)  
. gen V1 = v1-vx  
. gen V2 = v2-vx  
. egen ybar = mean(Y)  
. gen s = sqrt(V1+V2)
```

```
. list ybar V1 V2 s in 1
```

ybar	V1	V2	s
.3233333	.0166667	.0996668	.3410769

```
. gen lower = ybar-1.960*s  
. gen upper = ybar+1.960*s
```

```
. list lower ybar upper in 1
```

lower	ybar	upper
-.3451775	.3233333	.9918441

```
. clear
.*twins data -- monzygotic
.infile bwt1 bwt2 using twin.mz.data
```

```
. correlate bwt1 bwt2, cov
(obs=64)
```

	bwt1	bwt2
bwt1	.405704	
bwt2	.324421	.483741

```
. gen c12 = _result(4)
.gen v1 = _result(3)
.gen v2 = _result(5)
.gen B = ((v2-v1)+sqrt((v1-v2)^2+4*c12^2))/(2*c12)
.egen m1 = mean(bwt1)
.egen m2 = mean(bwt2)
.gen A = m2-B*m1
```

```
. list A B v1 v2 c1 in 1
```

A	B	v1	v2	c12
-.2133395	1.127478	.4057042	.4837411	.3244213

```
. reg bwt2 bwt1
```

Source	SS	df	MS	Number of obs =	64
Model	16.3436732	1	16.3436732	F( 1, 62) =	71.70
Residual	14.1320186	62	.227935784	Prob > F =	0.0000
Total	30.4756918	63	.483741139	R-squared =	0.5363
				Adj R-squared =	0.5288
				Root MSE =	.47743

bwt2	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
bwt1	.7996498	.0944346	8.47	0.000	.6108777 .9884219
_cons	.3008994	.159702	1.88	0.064	-.0183404 .6201392

```
. clear
. *dizygotic
. infile bwt1 bwt2 using twin.dz.data
```

```
. correlate bwt1 bwt2, cov
(obs=67)
```

	bwt1	bwt2
bwt1	.631162	
bwt2	.516534	.61949

```
. gen c12 = _result(4)
. gen v1 = _result(3)
. gen v2 = _result(5)
. gen B = ((v2-v1)+sqrt((v1-v2)^2+4*c12^2))/(2*c12)
. egen m1 = mean(bwt1)
. egen m2 = mean(bwt2)
. gen A = m2-B*m1
```

```
. list A B v1 v2 c1 in 1
```

A	B	v1	v2	c12
.0664352	.9887654	.6311617	.6194897	.5165336

```
. reg bwt2 bwt1
```

Source	SS	df	MS	Number of obs =	67
Model	27.8997556	1	27.8997556	F( 1, 65) =	139.64
Residual	12.986563	65	.199793277	Prob > F =	0.0000
Total	40.8863186	66	.619489676	R-squared =	0.6824
				Adj R-squared =	0.6775
				Root MSE =	.44698

bwt2	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
bwt1	.8183855	.0692545	11.82	0.000	.6800746 .9566963
_cons	.3786119	.1381422	2.74	0.008	.1027229 .654501